

## 256 Quirksome Squares

The number 3025 has a remarkable quirk: if you split its decimal representation in two strings of equal length (30 and 25) and square the sum of the numbers so obtained, you obtain the original number:

$$(30 + 25)^2 = 3025$$

The problem is to determine all numbers with this property having a given even number of digits.

For example, 4-digit numbers run from 0000 to 9999. Note that leading zeroes should be taken into account. This means that 0001 which is equal to  $(00 + 01)^2$  is a quirksome number of 4 digits. The number of digits may be 2,4,6 or 8. Although maxint is only 32767 and numbers of eight digits are asked for, a well-versed programmer can keep his numbers in the range of the integers. However efficiency should be given a thought.

### Input

The input of your program is a textfile containing numbers of digits (taken from 2,4,6,8), each number on a line of its own.

### Output

The output is a textfile consisting of lines containing the quirksome numbers (ordered according to the input numbers and for each input number in increasing order).

**Warning:** Please note that the number of digits in the output is equal to the number in the corresponding input line : leading zeroes may not be suppressed.

### Sample Input

```
2
2
```

### Sample Output

```
00
01
81
00
01
81
```